Speaker: S. Raum (Stockholm, Sw)

**Title:** Detecting ideals in reduced crossed product C\*-algebras of topological dynamical systems

**Abstract:** Crossed products arising from topological dynamical systems are an important source of examples of C\*-algebras and form ground for interaction between dynamics and operator algebras. Included in this class are reduced group C\*-algebras which code representation theoretic information of a group. Sophisticated tools to prove (non-)simplicity of such C\*-algebras have been developed over the time. However, they only apply to well-behaved dynamical systems or exclude a certain kind of amenable behaviour of the dynamical system. I will make these statements precise and report on joint work with Are Austad (University of Southern Denmark) in which we introduce the  $\ell^1$ -ideal intersection property. All non-zero ideals in the crossed product C\*-algebra of a dynamical system satisfying this property can be detected already inside the much smaller and more concrete  $l^1$ -crossed product. We prove that large classes of groups, such as lattices in Lie groups and linear groups over algebraic integers in a number field have this property for ANY action on a locally compact Hausdorff space. The proof combines the theory of twisted groupoid C\*-algebras and C\*-simplicity with structure results about amenable subgroups.